Quiz 1	Differential Equations
Name:	
Time Begun: Time Ended:	Friday September 11 Prof. Ron Buckmire
Topic: Introduction to Differential Equations	
The idea behind this quiz is for you to get some praction of key concepts.	ce solving differential equations and test your recall
Reality Check:	
EXPECTED SCORE :/10	ACTUAL SCORE :/10
Instructions:	
0. Please look for a hint on this quiz posted to:	faculty.oxy.edu/ron/math/341/09/
1. Once you open the quiz, you have 30 minute end time at the top of this sheet.	es to complete, please record your start time and
2. You may use the book or any of your class no	otes. You must work alone.
3. If you use your own paper, please staple it to tax a stapler, buy one. QUIZZES WITH UNSTA	the quiz before coming to class. If you don't have APLED SHEETS WILL NOT BE GRADED.
4. After completing the quiz, sign the pledge bel to these rules.	low stating on your honor that you have adhered
5. Your solutions must have enough details such and determine HOW you came up with your	·
6. Relax and enjoy	

7. This quiz is due on Monday September 14, in class. NO LATE OR UNSTAPLED

Pledge: I, ________, pledge my honor as a human being and Occidental student,

QUIZZES WILL BE ACCEPTED.

that I have followed all the rules above to the letter and in spirit.

1. Consider the following differential equation

$$\frac{dy}{dx} = \left(\frac{y}{x}\right)^2 + \frac{y}{x}.$$

- (a) 1 point. Fully classify this differential equation by type, order and linearity.
- (b) 2 points. Show that the given differential equation when thought of as $\frac{dy}{dx} = F\left(\frac{y}{x}\right)$ can be transformed using the transformation u = y/x (i.e. y = ux) into a separable equation of the form $x\frac{du}{dx} = F(u) u$ where $F(t) = t^2 + t$.

(c) 4 points. Use the separation of variables technique to show that the general solution to the given differential equation has the form $y = \frac{Cx^2}{1 - Cx}$, where C is an unspecified constant.

(d) 3 points. If possible, find each of the particular solutions to the differential which go through the points (1,1), (1,0) and (0,1) in the xy-plane, respectively. DISCUSS YOUR ANSWERS.