| Quiz 3 | DUE: MON. FEB. 10 |
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| Name: | |
| Date: Time Begun: Time Ended: | |

Topic covered: Evaluating Definite Integral Using Anti-derivatives

The point of this quiz is for you to illustrate your ability to use Antiderivatives to evaluate definite integrals.

| Reality | Check: |
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| EXPECTED SCORE: | $_{}/10$ | ACTUAL SCORE : | /10 |
|-----------------|----------|----------------|-----|

Instructions:

- 1. Once you open the quiz, you have 30 minutes to complete it. Before you open the quiz you should check Blackboard for any hints.
- 2. You **may not** use the book or any of your class notes, but you may use a calculator. You must work alone.
- 3. If you use extra paper, please staple it to the quiz before coming to class. If you don't have a stapler, buy one.
- 4. After completing the quiz, sign the pledge below stating on your honor that you have adhered to these rules. Complete the reality check to give yourself a sense of how well you think you did on the quiz.
- 5. Relax and enjoy....
- 6. **This quiz is due on Monday, February 10**, at the beginning of class. NO LATE QUIZZES WILL BE ACCEPTED.

| Pledge: I, | , pledge my honor as | a human being and Occidental |
|----------------------------|--|------------------------------|
| student, that I have follo | wed all the rules above to the letter and in | n spirit. |

SHOW ALL YOUR WORK

(a) (2 points) Compute the exact value of $I_1 = \int_{-2}^2 x dx$. EXPLAIN YOUR ANSWER.

(b) (2 points) Compute the exact value of $I_2 = \int_{-2}^{2} 1 dx$. EXPLAIN YOUR ANSWER.

(c) (2 points) Compute the exact value of $I_3 = \int_{-2}^{2} 2x + 3dx$. EXPLAIN YOUR ANSWER.

(d) (2 points) Consider $F(x) = x^2 + 3x - 7$ and $G(x) = x^2 + 3x + 4$. Which of the functions F(x) and G(x) are antiderivatives for the function h(x) = 2x + 3?

(e) (2 points) Show that F(2) - F(-2) = G(2) - G(-2) = C where C is the value of a specific definite integral. Write down that specific definite integral.