1. Suppose you are reeling in a fish. The top of your fishing pole is at a height of 8 feet. The fish is at a distance of $q$ feet from the shore. The length of the string from the pole to the fish is $l$ feet.
(a) Draw a diagram, then write an equation involving $q$ and $l$.
(b) You are winding up 0.5 feet of string per second. This translates into:

$$
\frac{d ?}{d ?}=?
$$

(c) How fast is the fish approaching you when it's 50 feet away?
(d) How fast is the fish approaching you when it's 10 feet away?
2. Suppose we're inflating a balloon with helium at a constant rate of 6 cubic centimeters per second.
(a) Translate the above sentence into mathematical symbols. (Use $V$ for volume, $r$ for radius, $t$ for time.)
(b) The formula for the volume of a (round) balloon is: $V=(4 / 3) \pi r^{3}$.

Write $r$ as a function of $V$.
(c) Is $r$ a function of time?
(d) What is the balloon's volume after 5 seconds? After 10 seconds?
(e) Find $r^{\prime}$, the rate of change of the radius, after we've been inflating (the balloon) for 5 seconds, and for 10 seconds. Be careful: Is it clear whether the problem is asking for $\frac{d r}{d V}$ or for $\frac{d r}{d t}$ ? (What does $\frac{d r}{d V}$ mean anyway?)

## ANNOUNCEMENTS

Homework due Friday, 11/06/98:
HH, section 4.6: 33, 34; section 4.7: 21.

